#### MSc (CS) Part - I

**Subject:** Applied Signal and Image Processing

## Practical No: 01

**Aim:** Write program to demonstrate the following aspects of signal processing on suitable data.

**A:** Upsampling and Downsampling on Image/speech signal.

**Upsampling:**

Upsampling is the increasing of the spatial resolution while keeping the 2D representation of an image. It is typically used for zooming in on a small region of an image, and for eliminating the pixilation effect that arises when a low-resolution image is displayed on a relatively large frame.

#### Program Code:

from PIL import Image import pylab

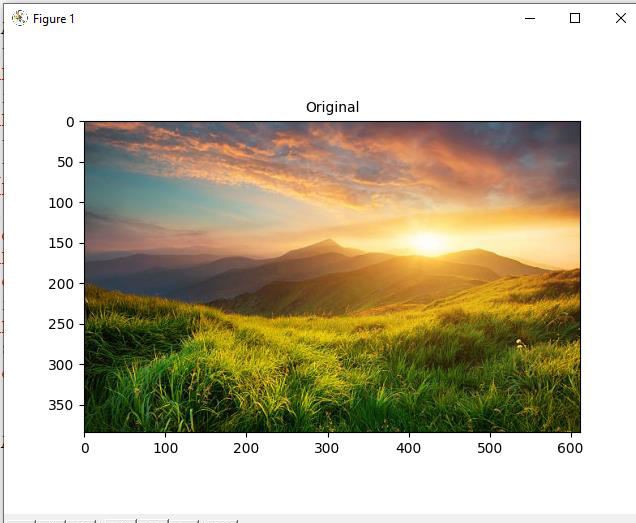
import numpy

img=Image.open(r'C:\Users\ITLAB4-PC\Pictures\nature.jpg') pylab.imshow(img)

pylab.show() upScaleImg=img.resize((img.width\*2,img.height\*2),Image.Resampling.NEAREST) pylab.figure(figsize=(10,10))

pylab.imshow(upScaleImg) pylab.show()

#### Output:



Original Image

**Downsampling:**

Downsampling is the reduction in spatial resolution while keeping the same two-dimensional (2D) representation. It is typically used to reduce the storage and/or transmission requirements of images. Upsampling is the increasing of the spatial resolution while keeping the 2D representation of an image.

#### Program Code:

from PIL import Image import pylab

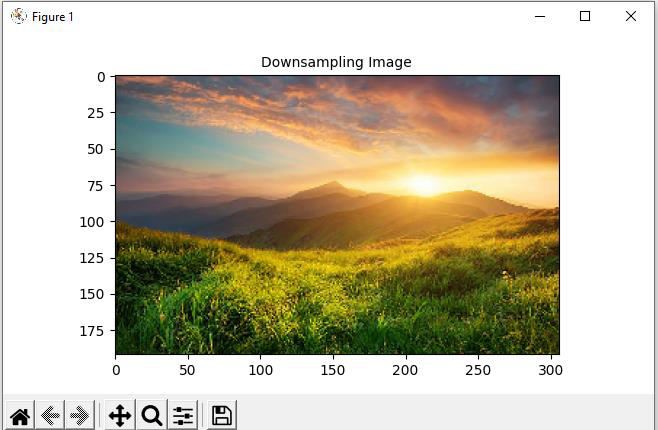
import numpy

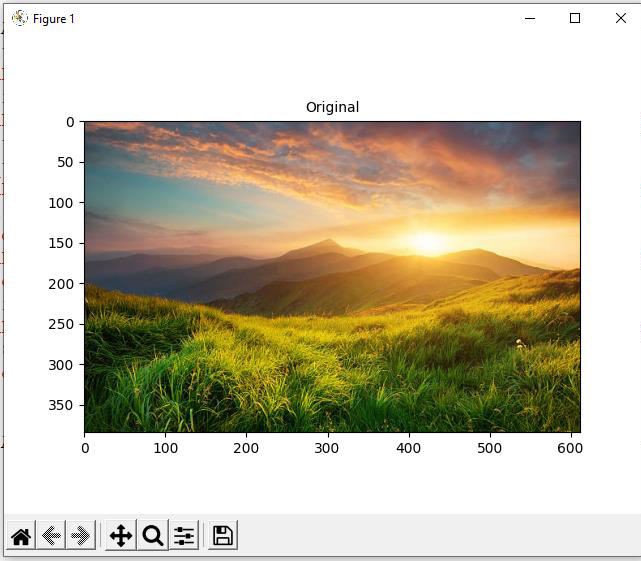
img=Image.open(r'C:\Users\ITLAB4-PC\Pictures\nature.jpg') pylab.imshow(img)

pylab.show() downScaleImg=img.resize((img.width//2,img.height//2),Image.Resampling.NEAREST) pylab.figure(figsize=(10,10))

pylab.imshow(downScaleImg) pylab.show()

#### Output:





**B:** Fast Fourier Transform to compute DFT.

The Fast Fourier Transform (FFT) is commonly used to transform an image between the spatial and frequency domain. Unlike other domains such as Hough and Radon, the FFT method preserves all original data.

#### Program Code:

from PIL import Image import numpy as np import scipy.fftpack as fp import pylab

im=np.array(Image.open(r'C:\Users\ITLAB4-PC\Desktop\Ravi\testing\car.png').convert('L')) freq=fp.fft2(im)

im2=fp.ifft(freq).real pylab.figure(figsize=(20,10))

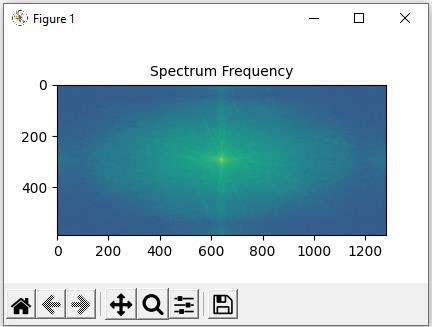
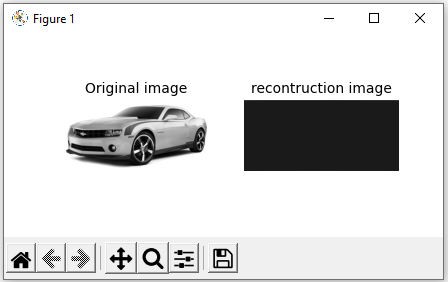
pylab.subplot(121),pylab.imshow(im,cmap='gray'),pylab.axis('off') pylab.title('Original image',size=20) pylab.subplot(122),pylab.imshow(im2,cmap='gray'),pylab.axis('off') pylab.subplot(122),pylab.imshow(im2,cmap='gray'),pylab.axis('off') pylab.title('recontruction image',size=20)

pylab.show()

Plotting Spectrum Frequency freq2=fp.fftshift(freq) pylab.figure(figsize=(10,10))

pylab.imshow((20\*np.log10(0.1+freq2)).astype(int)) pylab.show()

**Output:**



## Practical No: 02

**Aim:** Write program to perform the following on signal

**A:** Create a triangle signal and plot a 3-period segment.

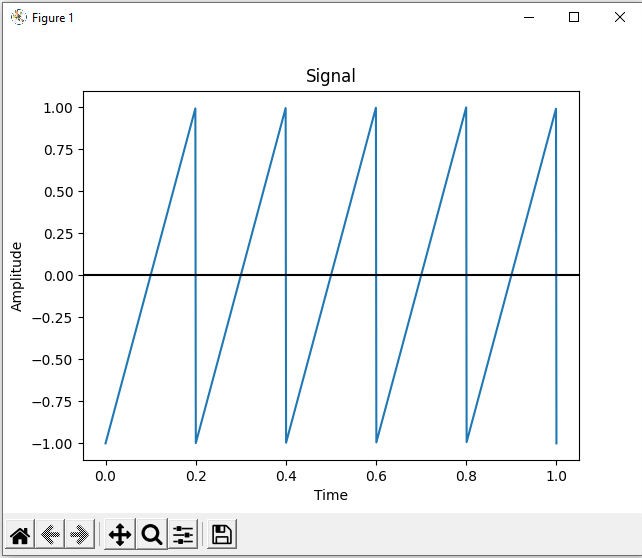
**Program Code:**

from scipy import signal import matplotlib.pyplot as plot import numpy as np

t = np.linspace(0, 1, 1000, endpoint=True) plot.plot(t, signal.sawtooth(2 \* np.pi \* 5 \* t)) plot.xlabel('Time')

plot.ylabel('Amplitude') plot.title('Signal') plot.axhline(y=0, color='k') plot.show()

#### Output:



**B:** For a given signal, plot the segment and compute the correlation between them.

Correlation is a mathematical technique to see how close two things are related. In image processing terms, it is used to compute the response of a mask on an image.

#### Program Code:

import sklearn import numpy as np

import matplotlib.pyplot as plt import pandas as pd

y = pd.Series([1, 2, 3, 4, 3, 5, 4])

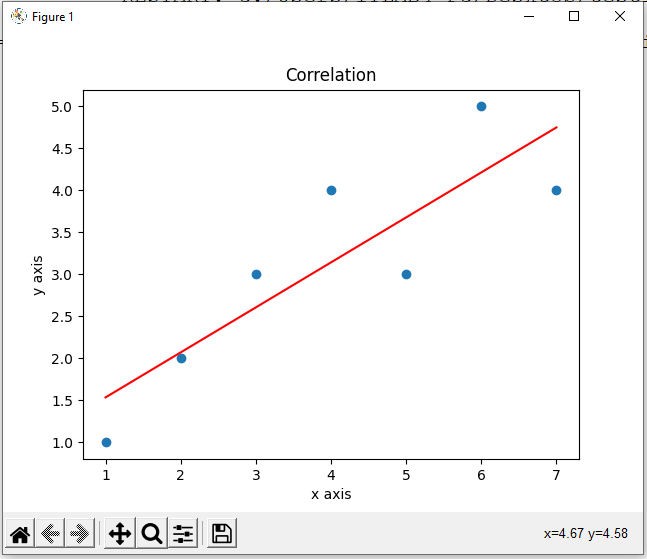
x = pd.Series([1, 2, 3, 4, 5, 6, 7])

correlation = y.corr(x) plt.scatter(x, y)

plt.plot(np.unique(x), np.poly1d(np.polyfit(x, y, 1))(np.unique(x)), color='red') plt.xlabel('x axis')

plt.ylabel('y axis') plt.title('Correlation') plt.show()

**Output:**



## Practical No: 03

**Aim:** Write program to demonstrate the following aspects of signal on Sound/image data.

**A:** Convolution operation.

Convolution is a simple mathematical operation which is fundamental to many common image processing operators. Convolution provides a way of `multiplying together' two arrays of numbers, generally of different sizes, but of the same dimensionality, to produce a third array of numbers of the same dimensionality.

#### Program Code:

im = rgb2gray(imread('../images/cameraman.jpg')).astype(float) print(np.max(im))

print(im.shape) blur\_box\_kernel = np.ones((3,3)) / 9 edge\_laplace\_kernel = np.array([[0,1,0],[1,-4,1],[0,1,0]]) im\_blurred = signal.convolve2d(im, blur\_box\_kernel)

im\_edges = np.clip(signal.convolve2d(im, edge\_laplace\_kernel), 0, 1)

fig, axes = pylab.subplots(ncols=3, sharex=True, sharey=True, figsize=(18,6)) axes[0].imshow(im, cmap=pylab.cm.gray)

axes[0].set\_title('Original Image', size=20) axes[1].imshow(im\_blurred, cmap=pylab.cm.gray) axes[1].set\_title('Box Blur', size=20) axes[2].imshow(im\_edges, cmap=pylab.cm.gray) axes[2].set\_title('Laplace Edge Detection', size=20) for ax in axes:

ax.axis('off') pylab.show() **Output:**



**B:** Template Matching.

Template matching is the process of moving the template over the entire image and calculating the similarity between the template and the covered window on the image.

#### Program Code:

from PIL import Image import numpy as np from scipy import misc from scipy import signal

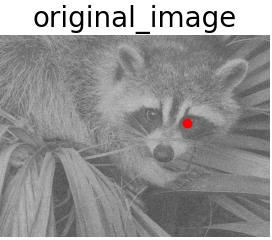
from scipy.signal import correlate2d from matplotlib import pyplot import pylab as pb

face\_img=misc.face(gray=True)-misc.face(gray=True).mean() temp\_img=np.copy(face\_img[300:365,670:750]) face\_img=face\_img+np.random.randn(\*face\_img.shape)\*50 cor=signal.correlate2d(face\_img,temp\_img,boundary='symm',mode='same') y,x=np.unravel\_index(np.argmax(cor),cor.shape) fig,(ax\_original,ax\_template,ax\_correlation)=pb.subplots(3,1,figsize=(6,15)) ax\_original.imshow(face\_img,cmap='gray') ax\_original.set\_title('original\_image',size=20)

ax\_original.set\_axis\_off() ax\_template.imshow(temp\_img,cmap='gray') ax\_template.set\_title('template image',size=20) ax\_template.set\_axis\_off() ax\_correlation.imshow(cor,cmap='gray') ax\_correlation.set\_title('correlated image',size=20) ax\_correlation.set\_axis\_off() ax\_original.plot(x,y,'ro')

fig.show()

**Output:**



## Practical No: 4

**Aim:** Write a program to implement various morphological images processing technique.

###### Erosion:

Erosion is the morphological operation that is performed to reduce the size of the foreground object. The boundary of the foreign object is slowly eroded. Erosion has many applications in image editing and transformations, and erosion shrinks the image pixels. Pixels on object boundaries are also removed.

###### Program code:

from PIL import Image

from skimage.io import imread

from skimage.morphology import binary\_erosion, rectangle from skimage.color import rgb2gray

import pylab im=rgb2gray(imread(r'C:\Users\LJP\_IT\_LAB\Desktop\car.jpg' )) im[im<=0.5]=0

im[im>0.5]=1 pylab.gray()

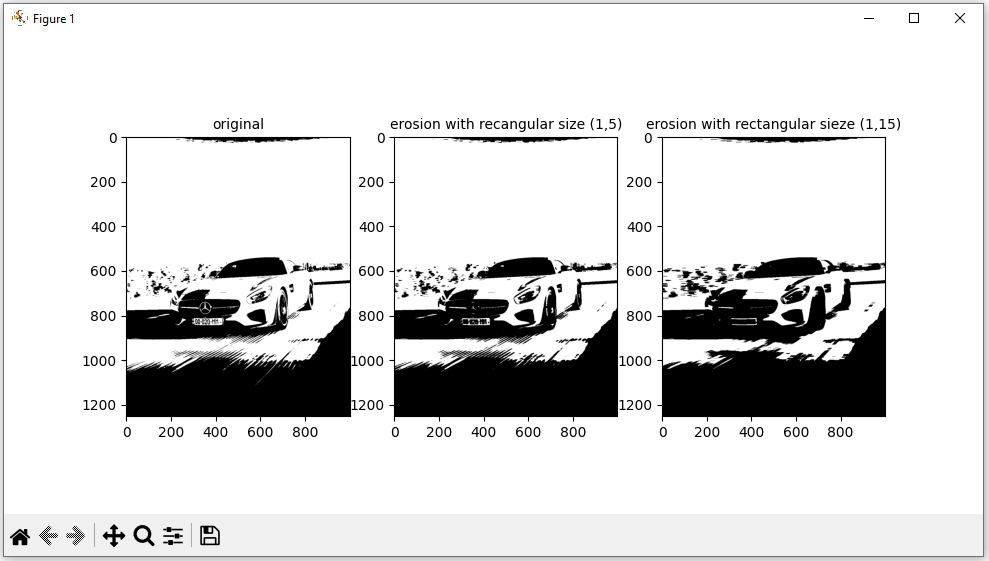
def plot\_image(im,title=''):pylab.title(title,size=10) pylab.subplot(1,3,1),plot\_image(im, 'original') pylab.imshow(im) im1=binary\_erosion(im,rectangle(1,5))

pylab.subplot(1,3,2),plot\_image(im1,'erosion with recangular size (1,5)') pylab.imshow(im1)

im1=binary\_erosion(im,rectangle(1,15)) pylab.subplot(1,3,3),plot\_image(im1,'erosion with rectangular sieze (1,15)') pylab.imshow(im1)

pylab.show()

###### Output:



**Dilation:**

Dilation of an image is the process by which the object area in the image is increased. This process is used to accentuate features in the image. It increases the white region in the image or the size of the foreground object increases.

**Program Code:**

from PIL import Image

from skimage.morphology import binary\_dilation, disk from skimage.color import rgb2gray

from [skimage.io](http://skimage.io/) import imread import pylab

im = rgb2gray(imread(r'C:\Users\LJP\_IT\_LAB\Pictures\pic.jpg')) im[im <= 0.5]=0

im[im > 0.5] = 1 pylab.gray()

def plot\_image(im,title=''):pylab.title(title,size=10) pylab.subplot(131),plot\_image(im, 'original') pylab.imshow(im)

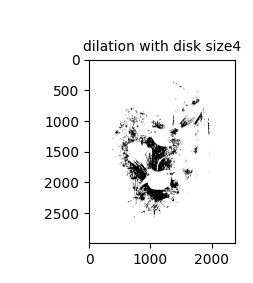
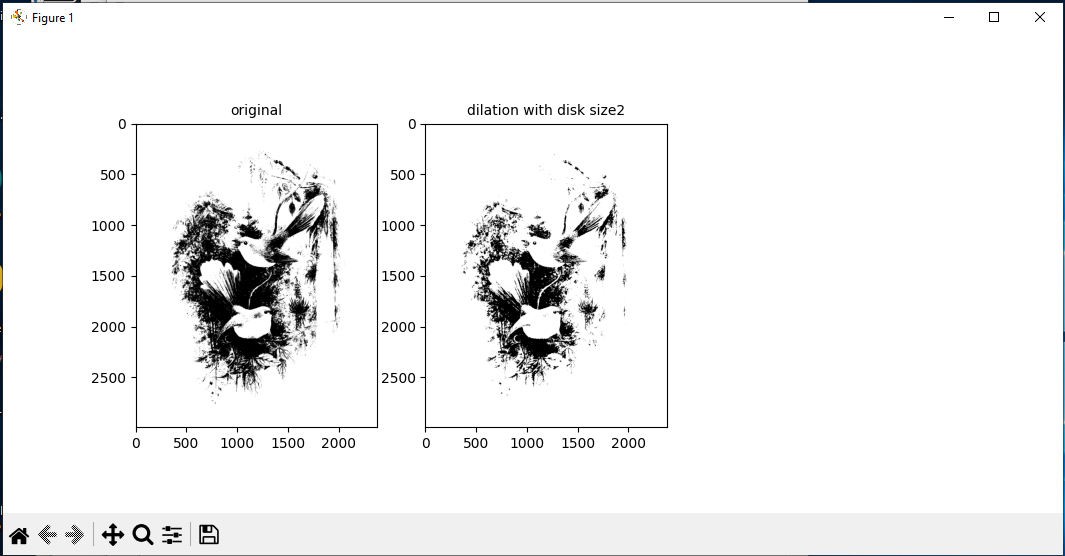
for d in range(1,3):

im1 = binary\_dilation(im, disk(2\*d))

pylab.subplot(1,3,d+1), plot\_image(im1, 'dilation with disk size' + str(2\*d)) pylab.imshow(im1)

pylab.show()

###### Output:



**Opening and Closing:**

Opening is a morphological operation that can be expressed as a combination of first erosion and then dilation operation; it remove small object from a binary image.

Closing, to the contrary, is another morphological operation that can be expressed as combination of first dilation and then erosion operation; it removes small holes from a binary image.

###### Program Code:

from skimage.io import imread

from skimage.morphology import binary\_erosion, disk, binary\_dilation, binary\_opening, binary\_closing

from skimage.color import rgb2gray im=rgb2gray(imread(r'C:\Users\LJP\_IT\_LAB\Desktop\car.jpg' )) im[im <= 0.5] = 0

im[im > 0.5] = 1 pylab.gray()

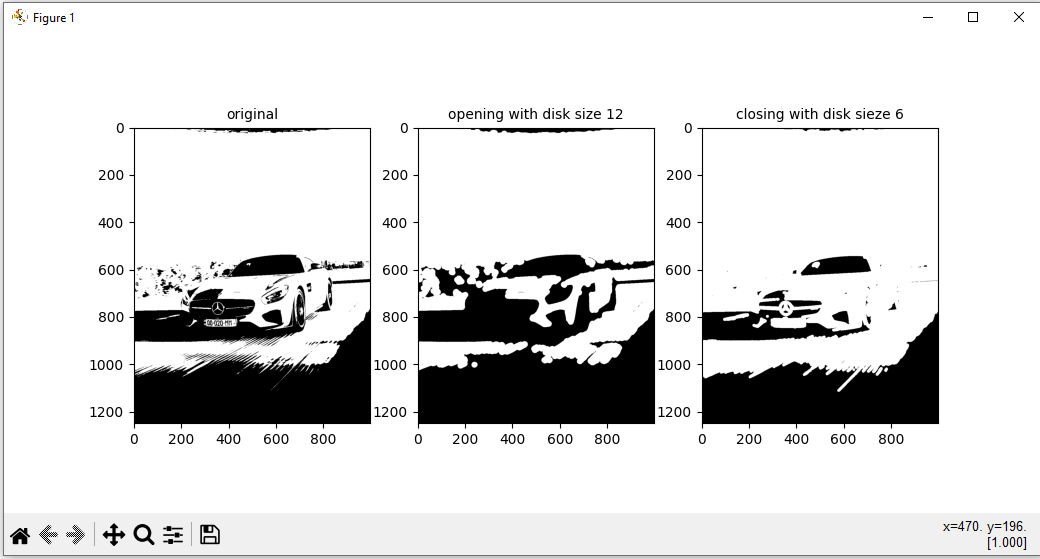
def plot\_image(im,title=''):pylab.title(title,size=10) pylab.subplot(1,3,1),plot\_image(im, 'original') pylab.imshow(im)

im1=binary\_opening(im, disk(12)) pylab.subplot(1,3,2),plot\_image(im1,’opening with disk size 12’) pylab.imshow(im1)

im1=binary\_dilation(im,disk(6)) pylab.subplot(1,3,3),plot\_image(im1,’closing with disk sieze 6’) pylab.imshow(im1)

pylab.show()

**Output:**



## Practical No: 5

**Aim:** Write a program to apply various enhancements on images using image derivatives by implementing Gradient and Laplacian operations.

**Gradient:** The following code block shows how to compute the gradient with the convolution kernels shown previously, with the gray-scale chess image as input. It also plots how the image pixel values and x\_component of the gradient vector changes with the y coordinates for the very first row in the image(x=0):

###### Program Code: A

import numpy as np

from scipy import signal, misc, ndimage

from skimage import filters, feature, img\_as\_float from skimage.io import imread

from skimage.color import rgb2gray from PIL import Image, ImageFilter import matplotlib.pylab as pylab

def plot\_image(image, title):

pylab.imshow(image), pylab.title(title, size=20), pylab.axis('off') ker\_x = [[-1, 1]]

ker\_y = [[-1], [1]]

im = rgb2gray(imread('../images/chess.png'))

im\_x = signal.convolve2d(im, ker\_x, mode='same') im\_y = signal.convolve2d(im, ker\_y, mode='same') im\_mag = np.sqrt(im\_x\*\*2 + im\_y\*\*2)

im\_dir = np.arctan(im\_y/im\_x) pylab.gray() pylab.figure(figsize=(30,20))

pylab.subplot(231), plot\_image(im, 'original'), pylab.subplot(232), plot\_image(im\_x, 'grad\_x')

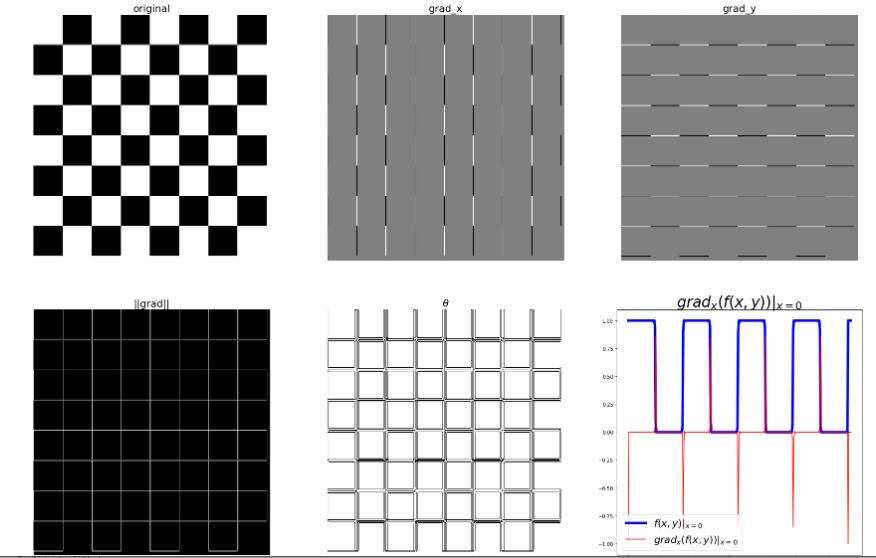
pylab.subplot(233), plot\_image(im\_y, 'grad\_y'), pylab.subplot(234), plot\_image(im\_mag, '||grad||')

pylab.subplot(235), plot\_image(im\_dir, r'$\theta$'), pylab.subplot(236) pylab.plot(range(im.shape[1]), im[0,:], 'b-', label=r'$f(x,y)|\_{x=0}$', linewidth=5)

pylab.plot(range(im.shape[1]), im\_x[0,:], 'r-', label=r'$grad\_x (f(x,y))|\_{x=0}$') pylab.title(r'$grad\_x (f(x,y))|\_{x=0}$', size=30)

pylab.legend(prop={'size': 20} pylab.show()

###### output:



**Program Code B: Laplacian operations.**

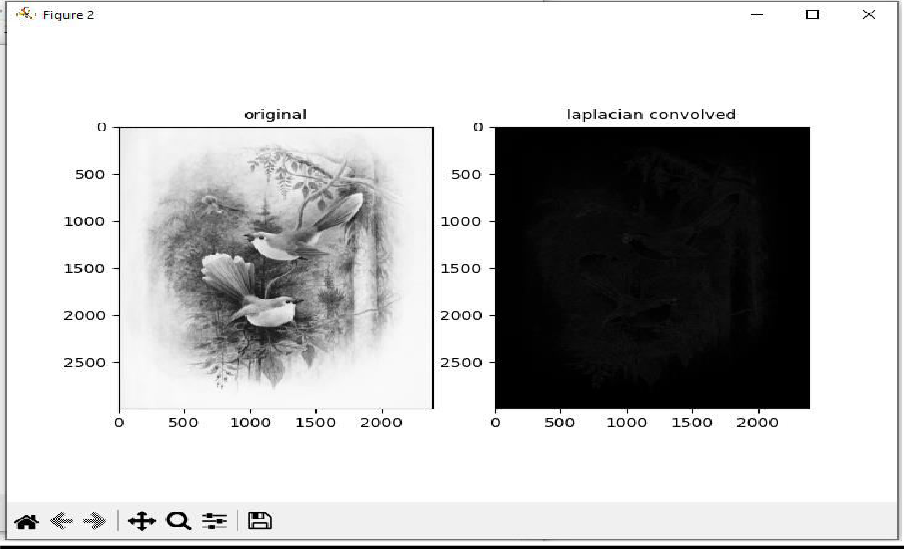
ker\_laplacian **=** [[0,**-**1,0],[**-**1, 4, **-**1],[0,**-**1,0]] im **=** rgb2gray(imread('../images/chess.png'))

im1 **=** np**.**clip(signal**.**convolve2d(im, ker\_laplacian, mode**=**'same'),0,1)

pylab**.**gray() pylab**.**figure(figsize**=**(20,10))

pylab**.**subplot(121), plot\_image(im, 'original') pylab**.**subplot(122), plot\_image(im1, 'laplacian convolved') pylab**.**show()

**output:**



## Practical No: 6

**Aim:** Write a program to implement linear and nonlinear noise smoothing on suitable image or Sound signal.

**A:** Smoothing with Linear

Linear smoothing filters remove high-frequency components, and the sharp detail in the image is lost. For example, step changes will be blurred into gradual changes, and the ability to accurately localize a change will be sacri- ficed.

###### Program code:

import pylab import numpy as np

from PIL import Image, ImageFilter from skimage import filters

i = 1 pylab.figure(figsize=(10,25))

for prop\_noise in np.linspace(0.05,0.3,3):

im = Image.open(r'C:\Users\LJP\_IT\_LAB\Desktop\Ravi Singh\Image Processing\Docs\nature.jpg') def plot\_image(im,title=''):pylab.title(title, size=7)

n = int(im.width \* im.height \* prop\_noise)

x, y = np.random.randint(0, im.width, n), np.random.randint(0, im.height, n) for (x,y) in zip(x,y):

im.putpixel((x, y), ((0,0,0) if np.random.rand() < 0.5 else (255,255,255))) im.save(r'C:\Users\LJP\_IT\_LAB\Desktop\Ravi Singh\Image Processing\Docs\output' +

str(prop\_noise) + '.jpg')

pylab.subplot(6,2,i), plot\_image(im, 'Original Image with ' + str(int(100\*prop\_noise)) + '% added noise') pylab.imshow(im)

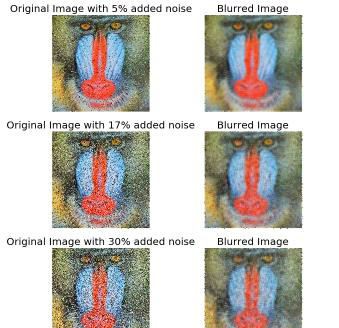
i += 1

im1 = im.filter(ImageFilter.BLUR) pylab.subplot(6,2,i), plot\_image(im1, 'Blurred Image') pylab.imshow(im1)

i += 1

pylab.show()

###### Output:



**B:** Smoothing with Non-linear

Non-linear smoothing filters are a powerful weapon that should be in the arsenal of every image processing practitioner. They find application in several fields, from computer vision to astronomy, medical imaging, geology, digital art, photography and many more.

###### Program Code:

import pylab import numpy as np

from PIL import Image, ImageFilter from skimage import filters

i = 1 pylab.figure(figsize=(25,35))

for prop\_noise in np.linspace(0.05,0.3,3):

im = Image.open(r'C:\Users\LJP\_IT\_LAB\Desktop\Ravi Singh\Image Processing\Docs\nature.jpg') def plot\_image(im,title=''):pylab.title(title, size=7)

n = int(im.width \* im.height \* prop\_noise)

x, y = np.random.randint(0, im.width, n), np.random.randint(0, im.height, n) for (x,y) in zip(x,y):

im.putpixel((x, y), ((0,0,0) if np.random.rand() < 0.5 else (255,255,255))) im.save(r'C:\Users\LJP\_IT\_LAB\Desktop\Ravi Singh\Image Processing\Docs\output' +

str(prop\_noise) + '.jpg') pylab.subplot(6,4,i) pylab.imshow(im)

plot\_image(im, 'Original Image with ' + str(int(100\*prop\_noise)) + '%added noise') i += 1

for sz in [3,7,11]:

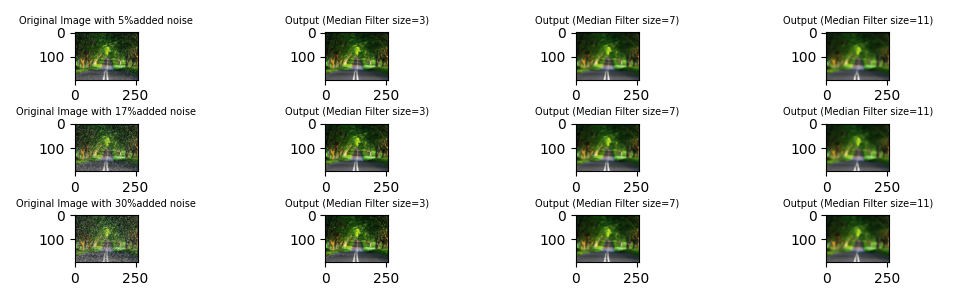
im1 = im.filter(ImageFilter.MedianFilter(size=sz))

pylab.subplot(6,4,i), plot\_image(im1, 'Output (Median Filter size=' + str(sz) + ')') pylab.imshow(im1)

i += 1

pylab.show()

**Output:**



## Practical No: 7

**Aim:** Write program to implement point/pixel intensity transformations

**A:** Log and Power-law transformations.

###### Log Transformation:

During log transformation, the dark pixels in an image are expanded as compare to the higher pixel values. The higher pixel values are kind of compressed in log transformation.

###### Program code:

from PIL import Image import pylab

def plot\_image(image, title=''):

pylab.title(title, size=20), pylab.imshow(image) pylab.axis('off')

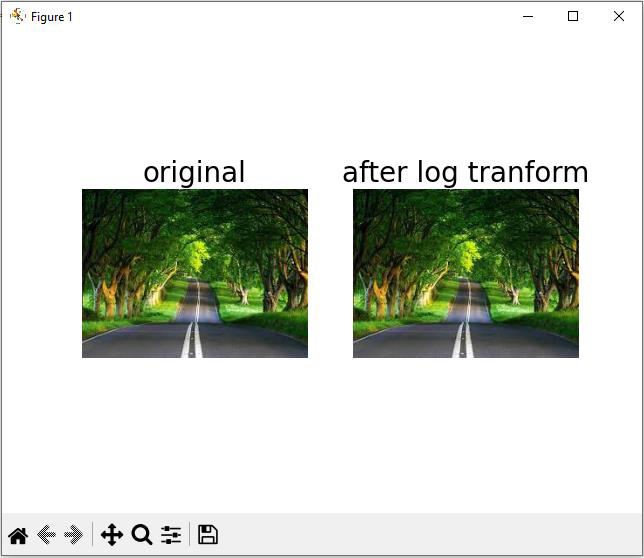
im = Image.open(r'C:\Users\LJP\_IT\_LAB\Desktop\Ravi Singh\Image Processing\Docs\nature.jpg') im1=im.point(lambda i: 255\*np.log(1+i/255))

#im\_r, im\_g, im\_b = im.split() pylab.style.use('ggplot')

pylab.subplot(121), plot\_image(im, 'original') pylab.subplot(122), plot\_image(im1, 'after log tranform') pylab.imshow(im)

pylab.show()

###### Output:



**Power-Law Transformation:**

This type of transformation is used for enhancing images for different type of display devices. The gamma of different display devices is different.

###### Program Code:

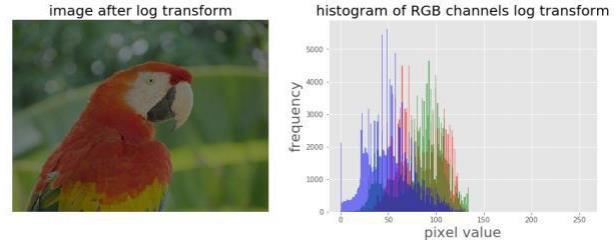
im = img\_as\_float(imread('../images/earthfromsky.jpg')) gamma = 5

im1 = im\*\*gamma pylab.style.use('ggplot') pylab.figure(figsize=(15,5))

pylab.subplot(121), plot\_hist(im[...,0], im[...,1], im[...,2],'histogram for RGB channels (input)')

pylab.subplot(122), plot\_hist(im1[...,0], im1[...,1], im1[...,2],'histogram for RGB channels (output)') pylab.show()

###### Output:



**B:** Histogram equalization with scikit-image

Histogram Equalization is a computer image processing technique used to improve contrast in images. It accomplishes this by effectively spreading out the most frequent intensity values

###### Program Code:

img = rgb2gray(imread('../images/earthfromsky.jpg')) img\_eq = exposure.equalize\_hist(img)

img\_adapteq = exposure.equalize\_adapthist(img, clip\_limit=0.03) pylab.gray()

images = [img, img\_eq, img\_adapteq]

titles = ['original input (earth from sky)','after histogram equalization','after adaptive histogramequalization']

for i in range(3):

pylab.figure(figsize=(20,10)), plot\_image(images[i], titles[i]) pylab.figure(figsize=(15,5))

for i in range(3):

pylab.subplot(1,3,i+1), pylab.hist(images[i].ravel(), color='g'), pylab.title(titles[i], size=15) pylab.show()

###### Output:



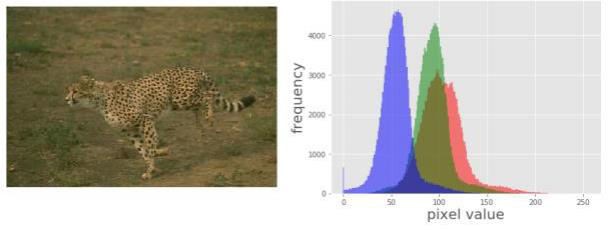
**C**: Contrast Adjustments

Contrast adjustment remaps image intensity values to the full display range of the data type. An image with good contrast has sharp differences between black and white.

###### Program Code:

im = Image.open('../images/cheetah.png') im\_r, im\_g, im\_b, \_ = im.split() pylab.style.use('ggplot') pylab.figure(figsize=(15,5)) pylab.subplot(121)

plot\_image(im) pylab.subplot(122) plot\_hist(im\_r, im\_g, im\_b) pylab.show()

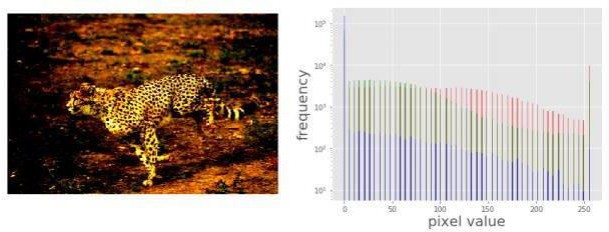


def contrast(c): return 0 if c < 70 else (255 if c > 150 else (255\*c - 22950) / 48) # piece-wise linear

functionim1 = im.point(contrast) im\_r, im\_g, im\_b, \_ = im1.split() pylab.style.use('ggplot') pylab.figure(figsize=(15,5)) pylab.subplot(121) plot\_image(im1)

pylab.show()

###### Output:



**D:** Half-toning

Halftone is the reprographic technique that simulates continuous-tone imagery through the use of dots, varying either in size or in spacing, thus generating a gradient-like effect.

###### Program Code:

im = Image.open('../images/swans.jpg').convert('L')

im = Image.fromarray(np.clip(im + np.random.randint(- 128, 128, (im.height, im.width)), 0, 255).astype(np.uint8))

pylab.figure(figsize=(12,18))

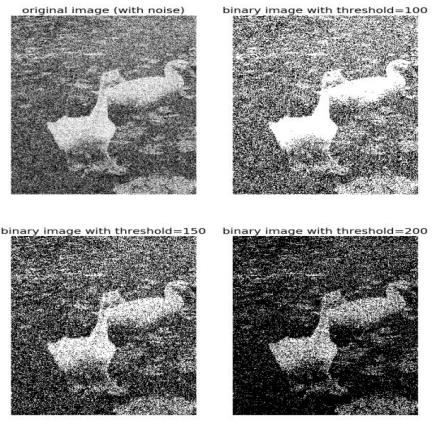
pylab.subplot(221), plot\_image(im,'original image (with noise)') th = [0, 50, 100, 150, 200]

for i in range(2, 5):

im1 = im.point(lambda x: x > th[i])

pylab.subplot(2,2,i), plot\_image(im1,'binary image with threshold=' + str(th[i])) pylab.show()

**Output:**



## Practical No: 8

#### Aim: Write the program to extract image features by implementing methods like corner and blob detectors, HoG and Haar features

**Harris Corner Detector With scikit-image :** algorithm was developed to identify the internal corners of an image. The corners of an image are basically identified as the regions in which there are variations in large intensity of the gradient in all possible dimensions and directions. Corners extracted can be a part of the image features, which can be matched with features of other images, and can be used to extract accurate information. Harris Corner Detection is a method to extract the corners from the input image and to extract features from the input image.

Program Code: A

from matplotlib import pylab as pylab from skimage.io import imread

from skimage.color import rgb2gray

from skimage.feature import corner\_harris, corner\_subpix, corner\_peaks

from skimage.transform import warp, SimilarityTransform, AffineTransform, resize import numpy as np

from skimage import data

from skimage.util import img\_as\_float

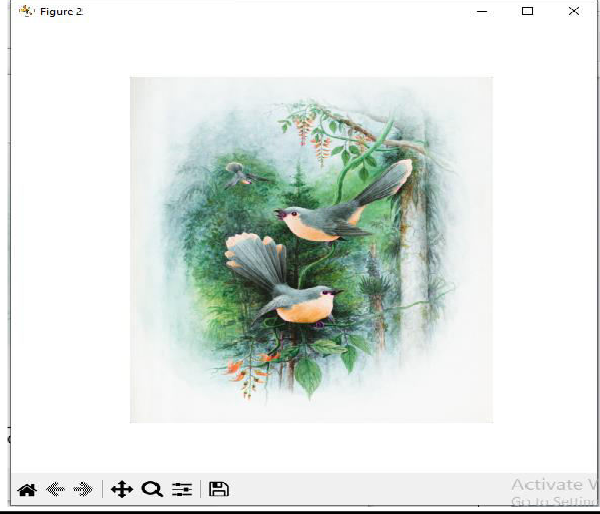
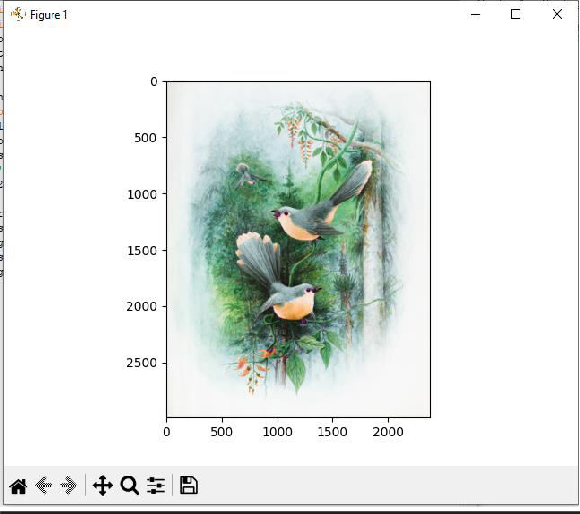
from skimage.exposure import rescale\_intensity from skimage.measure import ransac

image = imread(r'C:\Users\LJP\_IT\_LAB\Pictures\pic.jpg') image\_gray = rgb2gray(image)

coordinates = corner\_harris(image\_gray, k =0.001) image[coordinates>0.01\*coordinates.max()]=[255,0,0,255] pylab.figure(figsize=(20,10))

pylab.imshow(image), pylab.axis('off'), pylab.show()

**output:**



* **Blob detectors with LoG, DoG and DoH**

from numpy **im**por**t** sqrt

##### from skimage.feature import blob\_dog, blob\_log, blob\_doh

im **=** imread('../images/butterfly.png')

im\_gray **=** rgb2gray(im)

log\_blobs **=** blob\_log(im\_gray, max\_sigma**=**30, num\_sigma**=**10, threshold**=**.1)

log\_blobs[:, 2] **=** sqrt(2) **\*** log\_blobs[:, 2] *# Compute radius in the 3rd column* dog\_blobs **=** blob\_dog(im\_gray, max\_sigma**=**30, threshold**=**0.1) dog\_blobs[:, 2] **=** sqrt(2) **\*** dog\_blobs[:, 2]

##### doh\_blobs **=** blob\_doh(im\_gray, max\_sigma**=**30, threshold**=**0.005)

list\_blobs **=** [log\_blobs, dog\_blobs, doh\_blobs]

colors, titles **=** ['yellow','lime','red'], ['Laplacian of Gaussian', 'Difference of Gaussian', 'Determinant of Hessian'] sequence **=** zip(list\_blobs, colors, titles)

##### fig, axes **=** pylab**.**subplots(2, 2,figsize**=**(20, 20),sharex**=**True, sharey**=**True)

axes **=** axes**.**ravel()

axes[0]**.**imshow(im, interpolation**=**'nearest')

##### axes[0]**.**set\_title('original image', size**=**30), axes[0]**.**set\_axis\_off()

**for** idx, (blobs, color, title) **in** enumerate(sequence):

##### axes[idx**+**1]**.**imshow(im, interpolation**=**'nearest')

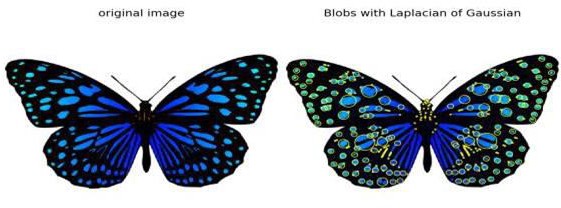
axes[idx**+**1]**.**set\_title('Blobs with ' **+** title, size**=**30)

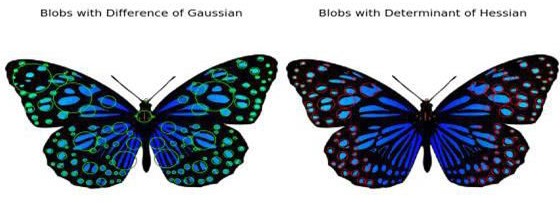
**for** blob **in** blobs:

y, x, row **=** blob

##### col **=** pylab**.**Circle((x, y), row, color**=**color, linewidth**=**2, fill**=**False)

axes[idx**+**1]**.**add\_patch(col), axes[idx**+**1]**.**set\_axis\_off() pylab**.**tight\_layout(), pylab**.**show()

**Output:**



# Compute HOG descriptors with scikit-image

from skimage.feature import hog from skimage import exposure

image **=** rgb2gray(imread('../images/cameraman.jpg'))

fd,hog\_image **=** hog(image, orientations**=**8, pixels\_per\_cell**=**(16, 16),

##### cells\_per\_block**=**(1, 1), visualize**=**True)

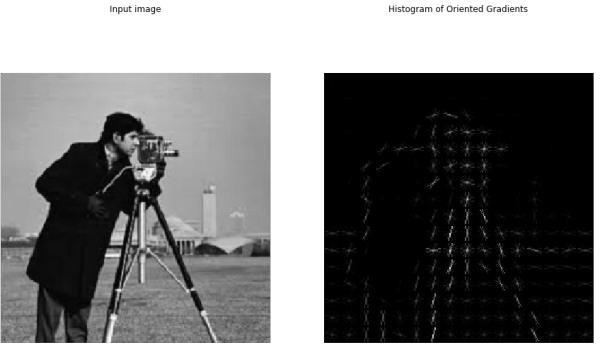
print(image**.**shape, len(fd))

*# ((256L, 256L), 2048)*

fig, (axes1, axes2) **=** pylab**.**subplots(1, 2,figsize**=**(15, 10),sharex**=**True, sharey**=**True)

##### axes1**.**axis('off'), axes1**.**imshow(image, cmap**=**pylab**.**cm**.**gray), axes1**.**set\_title('Input image')

hog\_image\_rescaled **=** exposure**.**rescale\_intensity(hog\_image, in\_range**=**(0, 10)) axes2**.**axis('off'), axes2**.**imshow(hog\_image\_rescaled, cmap**=**pylab**.**cm**.**gray), axes2**.**set\_title('Histogram of Oriented Gradients')

pylab**.**show()

* **Haar-like feature descriptor with scikit-image**

from skimage.feature import haar\_like\_feature\_coord from skimage.feature import draw\_haar\_like\_feature

##### images **=** [np**.**zeros((2, 2)), np**.**zeros((2, 2)), np**.**zeros((3, 3)),

np**.**zeros((3, 3)), np**.**zeros((2, 2))]

##### feature\_types **=** ['type-2-x','type-2-y','type-3-x','type-3-y','type-4']

fig, axes **=** pylab**.**subplots(3, 2,figsize**=**(5,7))

for axes, img, feat\_t in zip(np**.**ravel(axes), images, feature\_types):

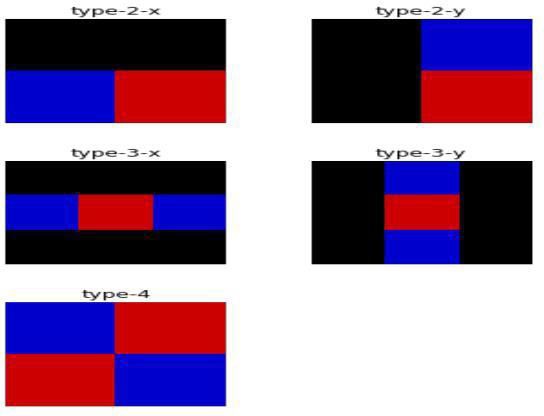
coordinates, \_ **=** haar\_like\_feature\_coord(img**.**shape[0], img**.**shape[1], feat\_t) haar\_feature **=** draw\_haar\_like\_feature(img, 0, 0, img**.**shape[0],img**.**shape[1], coordinates,

max n features**=**1, random\_state**=**0, color\_positive\_block**=**(1.0, 0.0, 0.0), color\_negative\_block**=**(0.0, 0.0, 1.0), alpha**=**0.8)

axes**.**imshow(haar\_feature), axes**.**set\_title(feat\_t), axes**.**set\_axis\_off()

*#fig.suptitle('Different Haar-like feature descriptors')*

pylab**.**axis('off'), pylab**.**tight\_layout(), pylab**.**show()



**Practical No: 9**

**Aim** Write a program to apply various image enhancement using image derivatives by implementing smoothing, sharpening, and unsharp masking filters for generating suitable images for specific application requirements.

### Smoothing with scipy ndimage

The scipy ndimage module provides a function named percentile\_filter(), which is a generic version of the median filter.The following code block demonstrate how to use this filter.

## Code:

lena **=** misc**.**imread('../images/lena.jpg')

# *add salt-and-pepper noise to the input image* noise **=** np**.**random**.**random(lena**.**shap e) lena[noise **>** 0.9] **=** 255

lena[noise **<** 0.1] **=** 0 plot\_image (lena,'nois

y image')

pylab**.**sho w()

fig **=** pylab**.**figure(figsize**=**(20,15))

i **=** 1

**for** p **in** range(25, 100, 25):

**for** k **in** range(5, 25, 5): pylab**.**subplot(3,4,i)

filtered **=** ndimage**.**percentile\_filter(lena, percentile**=**p, size**=**(k,k,1)) plot\_image(filtered, str(p) **+** ' percentile, ' **+** str(k) **+** 'x' **+** str(k) **+** ' kernel') i **+=** 1

pylab**.**show()

**output:**



* **Sharpening with Laplacian**

**from** skimage.filters **import** laplace

im **=** rgb2gray(imread('../images/me8.jpg'))

im1 **=** np**.**clip(laplace(im) **+** im, 0, 1) pylab**.**figure(figsize**=**(10,15))

pylab**.**subplot(211), plot\_image(im,'original image') pylab**.**subplot(212), plot\_image(im1,'sharpened image') pylab**.**tight\_layout()

pylab**.**show()





# Unsharp masking

**def** rgb2gray(im): '''

the input image is an RGB image

with pixel values for each channel in [0,1]

'''

**return** np**.**clip(0.2989 **\*** im[**...**,0] **+** 0.5870 **\*** im[**...**,1] **+** 0.1140 **\*** im[**...**,2], 0, 1)

im **=** rgb2gray(img\_as\_float(misc**.**imread('../images/me4.jpg'))) im\_blurred **=** ndimage**.**gaussian\_filter(im, 5)

im\_detail **=** np**.**clip(im **-** im\_blurred, 0, 1)

pylab**.**gray()

fig, axes **=** pylab**.**subplots(nrows**=**2, ncols**=**3, sharex**=True**, sharey**=True**, figsize**=**(15, 15)) axes **=** axes**.**ravel()

axes[0]**.**set\_title('Original image', size**=** 15), axes[0]**.**imshow(im) axes[1]**.**set\_title('Blurred image, sigma=5', size**=** 15), axes[1]**.**imshow(im\_blurred)axes[2]**.**set\_title('Detail image', size**=** 15), axes[2]**.**imshow(im\_detail)

alpha **=** [1, 5, 10]

**for** i **in** range(3):

im\_sharp **=** np**.**clip(im **+** alpha[i]**\***im\_detail, 0, 1)

axes[3**+**i]**.**imshow(im\_sharp), axes[3**+**i]**.**set\_title('Sharpened image, alpha=' **+** str(alpha[i]), size**=** 15) **for** ax **in** axes:

ax**.**axis('off') fig**.**tight\_layout()

pylab**.**show()





## Practical No: 10

**Aim:** Write the program to apply segmentation for detecting lines, circles, and other shapes/objects. Also, implement edge-based and region-based segmentation.

**A:** Hough transform – detecting lines and circles

The Hough transform (HT) can be used to detect lines circles or • The Hough transform (HT) can be used to

detect lines, circles or other parametric curves.

###### Program code:

image = rgb2gray(imread('../images/triangle\_circle.png')) fig, axes = plt.subplots(2, 2,figsize=(20, 20))

ax = axes.ravel() ax[0].imshow(image, cmap=cm.gray) ax[0].set\_title('Input image', size=20) ax[0].set\_axis\_off() ax[1].imshow(np.log(1 + h),

extent=[10\*np.rad2deg(theta[-1]), np.rad2deg(theta[0]), d[-1], d[0]], cmap=cm.hot, aspect=1/1.5)

ax[1].set\_title('Hough transform', size=20) ax[1].set\_xlabel('Angles (degrees)', size=20) ax[1].set\_ylabel('Distance (pixels)', size=20) ax[1].axis('image')

ax[2].imshow(image, cmap=cm.gray)

for \_, angle, dist in zip(\*hough\_line\_peaks(h, theta, d)):

y0 = (dist - 0 \* np.cos(angle)) / np.sin(angle)

y1 = (dist - image.shape[1] \* np.cos(angle)) / np.sin(angle) ax[2].plot((0, image.shape[1]), (y0, y1), '-r') ax[2].set\_xlim((0, image.shape[1]))

ax[2].set\_ylim((image.shape[0], 0)) ax[2].set\_axis\_off() ax[2].set\_title('Detected lines', size=20) hough\_radii = np.arange(50, 100, 2)

hough\_res = hough\_circle(image, hough\_radii)

accums, cx, cy, radii = hough\_circle\_peaks(hough\_res, hough\_radii, total\_num\_peaks=6) image = gray2rgb(image)

for center\_y, center\_x, radius in zip(cy, cx, radii):

circy, circx = circle\_perimeter(center\_y, center\_x, radius) image[circy, circx] = (0.9, 0.2, 0.2)

ax[3].imshow(image, cmap=plt.cm.gray) ax[3].set\_axis\_off() ax[3].set\_title('Detected Circles', size=20)

plt.tight\_layout() plt.show()

image = rgb2gray(imread('../images/coins.png'))

fig, axes = plt.subplots(1, 2,figsize=(20, 10),sharex=True, sharey=True) ax = axes.ravel()

ax[0].imshow(image, cmap=plt.cm.gray) ax[0].set\_axis\_off() ax[0].set\_title('Original Image', size=20) hough\_radii = np.arange(65, 75, 1)

hough\_res = hough\_circle(image, hough\_radii)

accums, cx, cy, radii = hough\_circle\_peaks(hough\_res, hough\_radii, total\_num\_peaks=4) image = gray2rgb(image)

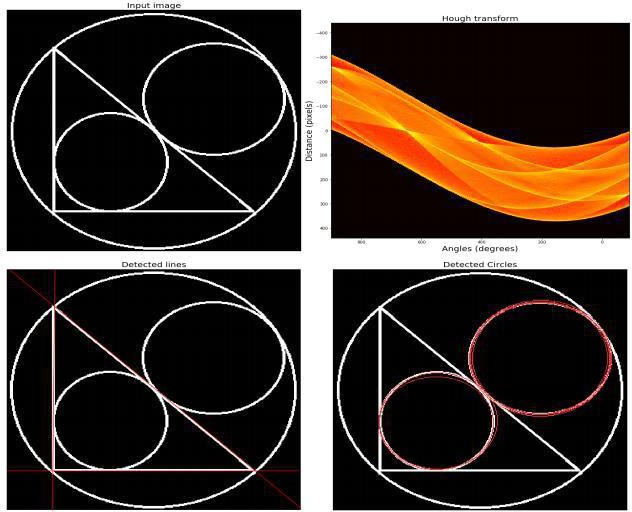
for center\_y, center\_x, radius in zip(cy, cx, radii):

circy, circx = circle\_perimeter(center\_y, center\_x, radius) image[circy, circx] = (1, 0, 0)

ax[1].imshow(image, cmap=plt.cm.gray) ax[1].set\_axis\_off() ax[1].set\_title('Detected Circles', size=20) plt.tight\_layout()

plt.show()

###### Output:



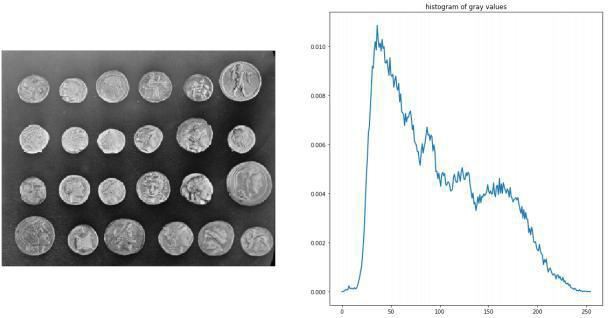
**B:** edge-based and region-based segmentation

###### Program Code:

coins **=** data**.**coins()

hist **=** np**.**histogram(coins, bins**=**np**.**arange(0, 256), normed**=True**) fig, axes **=** plt**.**subplots(1, 2,figsize**=**(20, 10)) axes[0]**.**imshow(coins, cmap**=**plt**.**cm**.**gray, interpolation**=**'nearest') axes[0]**.**axis('off')

axes[1]**.**plot(hist[1][:**-**1], hist[0], lw**=**2) axes[1]**.**set\_title('histogram of gray values') plt**.**show()



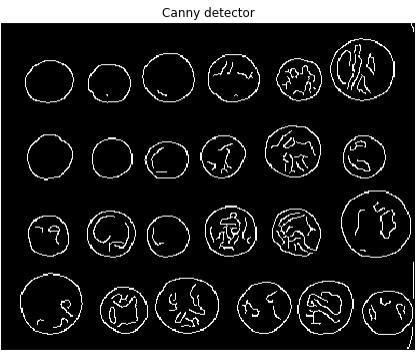
edges **=** canny(coins, sigma**=**2)

fig, ax **=** plt**.**subplots(figsize**=**( 10, 6))

ax**.**imshow(edges, cmap**=**plt**.**cm**.**gray, interpolation**=**'nearest') ax**.**set\_title('Canny detector')

ax**.**axis('off')

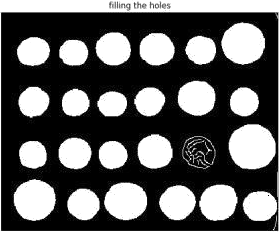
plt**.**show()



**from** scipy **import** ndimage **as** ndi fill\_coins **=** ndi**.**binary\_fill\_holes(edges) fig, ax **=** plt**.**subplots(figsize**=**( 10, 6))

ax**.**imshow(fill\_coins, cmap**=**plt**.**cm**.**gray, interpolation**=**'nearest') ax**.**set\_title('filling the holes')

ax**.**axis('off') plt**.**show()



ax**.**set\_title('segmentation') ax**.**axis('off')

plt**.**sho

